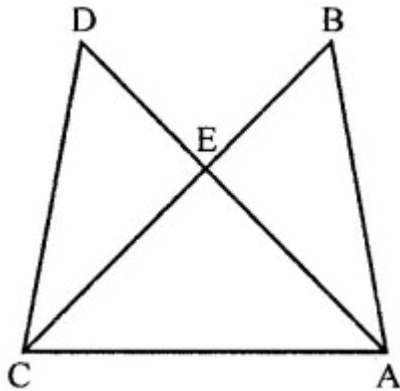


RD Sharma Class 9 Solutions Chapter 12 Heron's Formula Ex 12.4

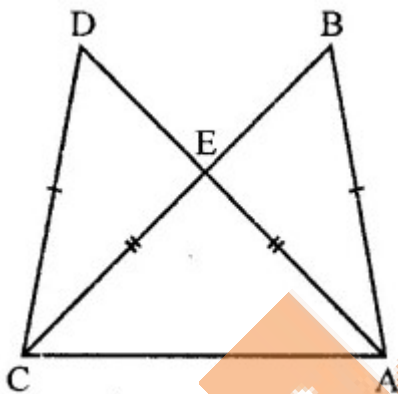
Question 1.

In the figure, it is given that $AB = CD$ and $AD = BC$. Prove that $\triangle ADC \cong \triangle CBA$.



Solution:

Given : In the figure, $AB = CD$, $AD = BC$



To prove : $\triangle ADC \cong \triangle CBA$

Proof : In $\triangle ADC$ and $\triangle CBA$

$CD = AB$ (Given)

$AD = BC$ (Given)

$CA = CA$ (Common)

$\therefore \triangle ADC \cong \triangle CBA$ (SSS axiom)

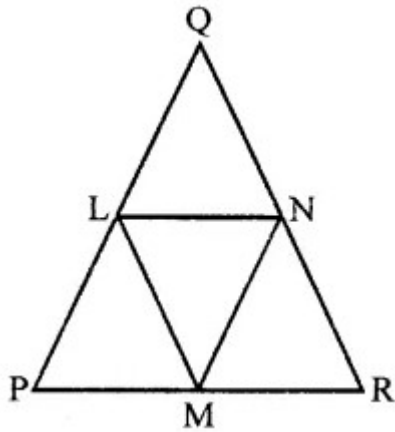
Question 2.

In a $\triangle PQR$, if $PQ = QR$ and L , M and N are the mid-points of the sides PQ , QR and RP respectively. Prove that $LN = MN$.

Solution:

Given : In $\triangle PQR$, $PQ = QR$

L , M and N are the mid-points of sides PQ , QR and RP respectively. Join LM , MN and LN



To prove : $\angle PNM = \angle PLM$

Proof : In $\triangle PQR$,

\therefore M and N are the mid points of sides PR and QR respectively

\therefore $MN \parallel PQ$ and $MN = \frac{1}{2} PQ$... (i)

\therefore $MN = PL$

Similarly, we can prove that

$LM = PN$

Now in $\triangle NML$ and $\triangle LPN$

$MN = PL$ (Proved)

$LM = PN$ (Proved)

$LN = LN$ (Common)

\therefore $\triangle NML = \triangle LPN$ (SSS axiom)

\therefore $\angle MNL = \angle PLN$ (c.p.c.t.)

and $\angle MLN = \angle LNP$ (c.p.c.t.)

$\Rightarrow \angle MNL = \angle LNP = \angle PLM = \angle MLN$

$\Rightarrow \angle PNM = \angle PLM$

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